## LEARNING TARGET:

I am learning to solve 3 word problems, representing symbolically the quantities involved using the formula: distance = rate x time.

> Use knowledge of Distance, rate, and time to model mathematical situations and abstract time, distance or rates.

Success Criteria- I know I am successful when, I have solved one word problem on my own using the formula:
distance = rate x time.

We can solve problems involving distance, rate, and time by using the formulas below. In each formula, $d$ represents distance, $r$ represents rate, and $t$ represents time.

Distance, Rate, and Time Formulas

$$
d=r \times t \quad r=d \div t \quad t=d \div r
$$

Students should first draw a diagram to represent the relationship between the distances involved in the problem, then set up a chart/table based on the formula rate times time = distance.

The chart/table is then used to set up the equation.

Write on given piece of paper: way you commute to school; distance between school and your starting point (approx.), time taken by you to reach to the school (approx.). Can you calculate the rate of speed you traveled (approx.)?

I commute via":
$\qquad$
$\qquad$ rate: $\qquad$
Distance, Rate, and Time Formulas

$$
d=r \times t \quad r=d \div t \quad t=d \div r
$$



Mark drives $\mathbf{2 2 0}$ miles (distance) to visit Forest Sanctuary. He drives at an average speed of $\mathbf{5 5}$ miles (rate) per hour. How long (time) does the trip take?

## Understand the situation

| What do we need to find? | What information do we need to <br> use? | How will we use this information? |
| :--- | :--- | :--- |
| We need to find the Amount of time | We need to use the Distance Mark <br> travels and the Rate of speed his car is <br> the trip takes. | We will use the formula $\mathbf{t}=\mathbf{d} \div \mathbf{r}$ <br> because we need to find time. Then <br> we will substitute $\mathbf{d}$ and $\mathbf{r}$. |

How we know which formula to use: The value we are trying to find should be the one that's alone on the left side:
Distance, Rate, and Time Formulas
$d=r x t$
$r=d \div t$
$t=d \div r$


Mark drives $\mathbf{2 2 0}$ miles (distance) to visit Forest Sanctuary. He drives at an average speed of $\mathbf{5 5}$ miles (rate) per hour. How long (time) does the trip take?

Let's Solve the Situation:
First Step : write the appropriate formula:
$t=d \div r$
Second Step: Substitute the values for $d$ and $r$.
$\mathrm{t}=\frac{220 \mathrm{mi}}{} \div \frac{55 \mathrm{mi}}{1 \mathrm{hr}}$
Third Step: Rewrite the division as a multiplication by the reciprocal.

$$
\begin{aligned}
& t=\frac{220 \mathrm{mi}}{1} \times \frac{1 \mathrm{hr}}{55 \mathrm{mi}} \\
& t=4 \mathrm{hr}
\end{aligned} \quad \mathrm{t}=\frac{4422 \mathrm{mi}}{1} \times \frac{1 \mathrm{hr}}{55 . \mathrm{mi}}=4 \mathrm{hr}
$$

How we know which formula to use: The value we are trying to find should be the one that's alone on the left side:
Distance, Rate, and Time Formulas
$d=r \times t$
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Unwrap the situation
Mark's class visited the museum for a field trip. The bus moved at a rate of 65 miles per hour for 2 hours. What is the total distance covered by the bus?

## Understand the situation

| What do we need to find? | What information do we need to <br> use? | How will we use this information? |
| :--- | :--- | :--- |
| We need to find the Distance <br> Traveled. | We need to use the Rate of 65 mph <br> and the time of 2 hours. | We will use the formula $\mathbf{d}=\mathrm{r} \mathbf{x} \boldsymbol{t}$ because we <br> need to find distance. Then we will <br> substitute in 65 mph for r, and $\mathbf{2}$ for t. |
|  |  | wenen |

$$
d=\frac{65 m i}{1 h r} \times \frac{2 h r}{1}=130 m i
$$



## Distance, Rate, and Time Formulas

$$
d=r x t
$$

$$
r=d \div t
$$

$$
t=d \div r
$$



Two cars leave from the same place at the same time and travel in opposite directions. One car travels at 55 mph and the other at 75 mph . After how many hours will they be 520 miles apart?


| $d$ | $r \times t$ | total distance traveled |
| :---: | :---: | :---: |
| CAR 1 distance | $55 t$ | $55 \mathrm{t}+75 \mathrm{t}=520$ |
| CAR 2 distance | 75 t | $130 \mathrm{t}=520$ |
|  |  | $t=\frac{520}{130}=4 \mathrm{hr}$ |

## Distance, Rate, and Time Formulas

$$
d=r \times t \quad r=d \div t \quad t=d \div r
$$

Two planes start from Phoenix and travel in opposite directions. The speed of the first jet is ten less than two times the speed of the second jet. In 3 hours they are 1050 miles apart. Find the speed of each jet.


| Planes | $r$ | $t$ | $d=r x t$ | total distance traveled |
| :---: | :---: | :---: | :---: | :---: |
| Plane 1 | $2 x-10$ | 3 | $3(2 x-10)$ | $3(2 x-10)+3 x=1050$ |
| Plane 2 | $x$ | 3 | $3 x$ | $6 x-30+3 x=1050$ <br> $9 x=1080$ <br> $x=120$ |

Plane $2=x=120 \mathrm{mph}$ and
Plane 1 speed $=2 \times 120-10=230 \mathrm{mph}$
Distance, Rate, and Time Formulas
$d=r x t$
$r=d \div t$
$t=d \div r$

Mark, will ride his bike from house to the school which is $\mathbf{6}$ miles at the rate of 10 mph , he stays at school for 5 hrs. Then he drove car home with 40 mph . Can he be home in $\mathbf{6}$ hours?

## Understand the situation

Time biking + time at the school + time driving car = total time

$$
\begin{aligned}
& \frac{6 \text { miles }}{10 \mathrm{mph}}+5 \text { hours }+\frac{6 \text { miles }}{40 \mathrm{mph}}=\text { total time } \\
& \frac{6}{10}+5+\frac{6}{40}=\mathrm{t}
\end{aligned}
$$

Multiply each side by the least common denominator (40):

$$
40 \times \frac{6}{10}+40 \times 5+40 \times \frac{6}{40}=40 t
$$

$$
\begin{aligned}
24+200+6 & =40 t \\
230 & =40 \mathrm{t} \\
\frac{230}{40} & =\frac{40 t}{40} \\
5.75 & =\mathrm{t}
\end{aligned}
$$

## Distance, Rate, and Time Formulas

$$
d=r \times t \quad r=d \div t \quad t=d \div r
$$

to get home after leaving in the morning for school. She will be home within 6 hours.

